| Course Title          | Linear Algebra   |
|-----------------------|--|
| Course Code           | MS-252   |
| Credit Hours          | 3  |
| Category              | Math & Science Foundation  |
| Prerequisite          | None   |
| <b>Co-Requisite</b>   | None   |
| Follow-up             | None   |
| Course<br>Description | Linear Equations in Linear Algebra: Systems of Linear Equations, Row<br>Reduction and Echelon Forms, Vector Equations, The Matrix Equation Ax = b,<br>Solution Sets of Linear Systems, Applications of Linear Systems, Linear<br>Independence, Introduction to Linear Transformations, The Matrix of a Linear<br>Transformation, Linear Models in Business, Science, and Engineering. Matrix<br>Algebra: Matrix Operations, The Inverse of a Matrix, Characterizations of<br>Invertible Matrices, Partitioned Matrices, Matrix Factorizations, Applications to<br>Computer Graphics, Subspaces of R <sup>n</sup> , Dimension and Rank. Determinants:<br>Introduction to Determinants, Properties of Determinants, Cramer's Rule,<br>Volume, and Linear Transformations. Vector Spaces: Vector Spaces and<br>Subspaces, Null Spaces, Column Spaces, and Linear Transformations, Linearly<br>Independent Sets; Bases, Coordinate Systems, The Dimension of a Vector Space,<br>Rank, Change of Basis. Eigenvalues and Eigenvectors: Eigenvectors and<br>Eigenvalues, The Characteristic Equation, Diagonalization, Eigenvectors and<br>Linear Transformations, Complex Eigenvalues, Discrete Dynamical Systems.<br>Orthogonality and Least Squares: Inner Product, Length, and Orthogonality,<br>Orthogonal Sets, Orthogonal Projections, The Gram–Schmidt Process, Least-<br>Squares Problems, Applications to Linear Models, Inner Product Spaces,<br>Applications of Inner Product Spaces. Symmetric Matrices and Quadratic<br>Forms: Diagonalization of Symmetric Matrices, Quadratic Forms, Constrained<br>Optimization, The Singular Value Decomposition, Applications to Image<br>Processing and Statistics. The Geometry of Vector Spaces: Affine Combinations,<br>Affine Independence, Convex Combinations, Hyperplanes. Optimization: Matrix<br>Games, Linear Programming—Geometric Method, Linear Programming—<br>Simplex Method, Duality. |
| Text Book(s)          | <ol> <li>David C. Lay, Steven R. Lay, Judi J. McDonald, Linear Algebra and Its<br/>Applications, 5<sup>th</sup> Edition, Pearson, 2015, ISBN-13: 978-0321982384, ISBN-<br/>10: 032198238X.</li> <li>Gilbert Strang, Introduction to Linear Algebra, 5<sup>th</sup> Edition, Wellesley-<br/>Cambridge Press, 2016, ISBN-13: 978-0980232776, ISBN-10: 0980232775.</li> <li>Howard Anton, Elementary Linear Algebra, 11<sup>th</sup> Edition, Wiley, 2013, ISBN-<br/>13: 978-0470458211, ISBN-10: 0470458216.</li> </ol>  |
| Reference<br>Material | <ol> <li>Philip N. Klein, Coding the Matrix: Linear Algebra through Applications to<br/>Computer Science, 1<sup>st</sup> Edition, Newtonian Press, 2013, ISBN-13: 978-<br/>0615880990, ISBN-10: 0615880991.</li> <li>David Hill, David Zitarelli, Linear Algebra Labs with MATLAB, 3<sup>rd</sup> Edition,<br/>Pearson, 2003, ISBN-13: 978-0131432741, ISBN-10: 0131432745.</li> </ol>   |